

Communications

Higher Degrees and Honours Bachelor Degrees in Mathematics and Statistics completed in Australia in 2006

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This report presents data relating to students who completed Honours or Higher Degrees in Mathematics during 2006. The data are part of an on going project for the Australian Mathematical Society and should be read in conjunction with previous reports [1], [2], [3], [4], [5], [6], [7] covering the period 1993–2005.

Appendix 1 presents data for students completing Honours degrees in 2006, at all Universities in Australia. Within each institution, the data are broken down into male and female students and into the three traditional areas of Mathematics: Pure; Applied and Statistics. There is also the general category 'Mathematics' for institutions which do not differentiate between the conventional areas. Finally, there is an 'Other' category for newer areas of mathematics such as Financial Mathematics. Each category is further broken down into grades of Honours awarded. The appendix shows that in 2006 there were 154 Honours completions in Australia, with 106 (69%) receiving First Class Honours (compared with 105 out of 152 (69%) in 2005 and 99 out of 138 (72%) in 2004). In the three years prior to 2004 there were approximately 160 Honours completions each year.

Figure 1 presents the total number of students completing Honours degrees in Mathematics over the period 1959–2006. It shows that in 2006 the number of graduates continues to climb back to the levels of the period 2001–2003. The figure also shows the numbers of male and female students who completed Honours over the same time period. For last year there was a large jump in the number of male students (115, up from 99). This increase was matched by a similar drop in the number of female students (39, down from 53).

Appendix 2 presents the data for Higher Degree completions in 2006. The data are broken down into Coursework Masters, Research Masters and PhD degrees, with the latter two divided into the three typical areas of Mathematics. These data are also represented in Figure 2, as part of the overall Higher Degree data for the period 1959–2006. The figure shows that: (1) the number of PhD completions has dropped slightly from the previous year and returned to levels typical of the 2000– 2003 period — it is interesting to note that of the 69 completions in 2006, 45 were by male students and 24 by female students; (2) the number of Research Masters completions has increased after several years of decline; and (3) the number of Coursework Masters completions shows a large drop after the considerable increase in the previous year.

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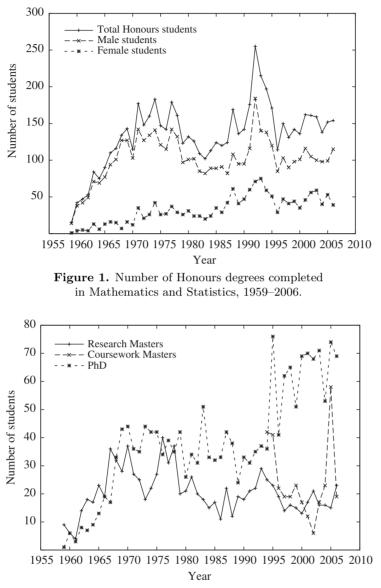


Figure 2. Number of research higher degrees completed in Mathematics and Statistics, 1959–2006.

Finally, Appendix 3 gives a list of completed Research Masters and PhD theses awarded in 2006.

For those who are interested in the finer details, the raw data are available from links on the website www.cit.gu.edu.au/maths. There is an Excel spreadsheet containing the complete data for 2006 as well as spreadsheets containing cumulative data from 1959 for Honours, Research Masters and PhD degrees.

I would like to thank the many people who took the time and effort to collect this data and forward it to me. It is pleasing to see that there were 31 out of a possible 38 responses to requests for data, an increase over recent years. Next year I will endeavour to obtain data earlier in the year, when the figures are still fresh in

peoples' minds. Finally, if, having read this report, you would like to contribute missing data for 2006, I can add it to the data on the website.

References

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- [2] Johnston, P. and Petocz, P. (2002). Higher degrees and honours bachelor degrees in mathematics and statistics completed in Australia in 1994 and 1995. *Gaz. Aust. Math. Soc.* 29, 62–72.
- [3] Johnston, P. (2003). Higher degrees and honours bachelor degrees in mathematics and statistics completed in Australia between 1996 and 2001. Gaz. Aust. Math. Soc. 30, 42–44.
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- [5] Johnston, P. (2004). Higher degrees and honours bachelor degrees in mathematics and statistics completed in Australia in 2003. Gaz. Aust. Math. Soc. 31, 314–319.
- [6] Johnston, P. (2005). Higher degrees and honours bachelor degrees in mathematics and statistics completed in Australia in 2004. Gaz. Aust. Math. Soc. 32, 320–325.
- [7] Johnston, P. (2006). Higher degrees and honours bachelor degrees in mathematics and statistics completed in Australia in 2005. Gaz. Aust. Math. Soc. 33, 249–254.

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Appendix 1. Number of Honours degrees completed in Mathematics and Statistics, 2006.

Uni.	\mathbf{Sex}	Ι		ths IIB	III	I		ıre IIE	III		App IIA					istic IIB		Ι		her IIB	III	Honours Total
ACU	M F																					0 0
ADF	Μ									1												1
ANU	F M	3	1																			0 4
BOU	F M	1																				1 0
CDU	F M																					0 0
CQU	F M					1																1 0
CSU	F M																					0 0
CUT	F																					0 0
DKU	м																					0 0
ECU	F M																					0 0
FDU	F	1																				$1 \\ 0$
GFU	М																					0 0
JCU	F																					0 0
LTU																						0 0
MDU	М																					0 0
MNU	F M	4	1							1	$1 \\ 1$										1	1 8
MQU	F M	2 2																				$2 \\ 2$
QUT	F M					1								1								0
RMT	F M					1				2				2 1								$2 \\ 2 \\ 4$
SCU	F M					1				2												3 0
SUT	F M																					0 0
UAD	F M					1	3		2	1				1								
UBR	F M									2				2								4
UCB	F M																					0 0
UMB	F M					3	1		2	2	2	1		4								$0 \\ 15$
UNC	F M	3	1	1		1		1		1	1	1			1							6 5
UNE	F M																					0
UNS	F M					2	1			4	2				2							0 11
UQL	F M					1 9		1		3	1	1			1							4 13
USA	F					1				3				1	-							5 0
USN	М					7	1			6	2	1										0 17
USQ	F					1	1			6 1	2	1		1	1							4 0
UTM	М					2	1							1								0 4
UTS	F M					$^{2}_{1}$	T			2	2			T		2						4 1 6
UWA	F M					4				4	4		1			2						0 1 4
UWG	F M					$\frac{4}{1}$				1	1				2			3				4 1 9
	F					2				1					2				2			2
UWS	M F										1							1				2 0
VUT	M F																					0 0
Totals		16	3	1	0	40	7	2	4	32	14	4	1	14	7	2	0	4	2	0	1	154

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UWG M 1 0 F 0 UWS M 0	UWA	Μ					0				$\begin{array}{c} 0 \\ 1 \end{array}$
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		M F					0 0				0 0
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Appendix 2. Number of research higher degrees completed in Mathematics and Statistics, 2006.

Appendix 3. Higher Degrees in mathematics and statistics, 2006.

Uni.	Sex	Degree	Area	Name	Title
ANU	М	MSc	Pure	K. Tong	Semifinite Index Theory and $SUq(2)$
	Μ	MSc	Pure	A. Sly	Self-semilarity, multifractionality and multifractality
	F	PhD	Applied	K. Manson	Modelling of accretion discs with smoothed particle Hydrodynamics
	F	PhD	Stats	J. Spate	Data mining as a tool for investigating environmental systems
	М	PhD	Pure	D. Brander	Isometric immersion of a flat manifold into a sphere as an integrable system
	F	PhD	Applied	K. Carpio	Long-range dependence of Markov processes
	М	PhD	Stats	M. Li	Nonparametric period estimation using the periodogram
	Μ	PhD	Applied	M. Oelkers	A class of energy minimisers for the rotating drop problem
	М	PhD	Stats	S. Hosseini-Nasab	On properties of functional principal components analysis
QUT	F	PhD	Stats	M. Forrester	Epidemic models and inference for the transmission of hospital pathogens
	\mathbf{F}	PhD	Applied	M. Penny	Mathematical modelling of dye-sensitised solar cells
	М	PhD	Stats	S. Hoyle	Statistical methods for assessing and managing wild populations
	М	PhD	Applied	T. Moroney	An investigation of a finite volume method incorporating radial basis functions for simulating nonlinear transport
	F	PhD	Applied	E. McBryde	Mathematical and statistical modelling of infectious diseases in hospitals
SUT	F	MSc	Applied	A. Chakraborty	Numerical study of biological problems in a predator-prey system
	М	PhD	Stats	T. Barnett	Mathematical modelling in hierarchical games with specific reference to tennis
	М	PhD	Stats	D. Forbes	Paramic prediction of Australian Rules football using real time performance statistics
UBR	м	PhD	Pure	K. Sugeng	Magic and antimagic graph labeling
UMB	F	PhD	Stats	J. Cain	Random graph processes and optimisation
	Μ	PhD	Pure	J. Coffey	3-manifolds built from injective handlebodies
	М	PhD		C. Fricke	Applications of integer programming in open pit mining
	Μ	PhD	Applied	C. Green	Dynamics of atomic force microscope cantilever
		D 1 D			beams in fluids
	M	PhD	Pure	D. Heard	Computation of hyperbolic structure on 3-dimensional orbifold
	M M	PhD PhD	Applied	J. Looker K. Prondorgast	The electrokinetics of porous colloidal particles
	F	PhD		K. Prendergast M. Bamakrishnan	Steiner ratio for gradient constrained networks Distributed approaches to capacity reallocation in networks
	M	PhD		S. Walsh	A thermomechancial approach for micromechanical continuum
	М	MSc	Stats	X. Wang	models of granular media Approximate distributions of the number of run occurrences
UNC	м	PhD	Pure	I. Gray	Construction methods for vertex-magic total labelings of graph
one	M	PhD	Pure	J. Kimberley	Classifying Burger*Mozes groups and the algebras
	F	PhD	Stats	E. Stojanovski	generated from their actions Statistical assessment of the relationship between
	τ.		Juans	E. Stojanovski	life events and health
UNE	м	MSc	Pure	B. Bujeya	Some further remarks on the existence and uniqueness for \mathbf{D}^N
	м	PhD	Stats	B. Carson	the generalised logistic equation on \mathbb{R}^N Beowulf applications in statistics
USN	м	PhD	Pure	P. O'Sullivan	The generalised Jacobson–Morosov theorem
	F	PhD	Pure	L. Ratliff	The alternating Hecke algebra and its representations
	M	PhD	Pure	G. White	Enumeration-based algorithms in linear coding theory
	М	PhD	Applied	A. Merrifield	An investigation of mathematical models for animal group movement, using classical and statistical approaches
	М	PhD	Applied	T. Schaerf	On contour crossings in countour-advective simulations of geophysical fluid flows
	F	PhD	Stats	D.Perera	Saddlepoint approximation methods in the analysis of panel time series data
UWA	F M	PhD PhD	Pure Pure	S. Ambrose S. Brown	Matrix groups: theory, algorithms and applications
	F	PhD PhD	Pure Stats	I. Casas Villalba	Finite reducible matrix algebras Statistical inference in continuous-time models with
	F	PhD	Pure	F. Evans	short-range and/or long-rang dependence Syntactic models with applications in image analysis
					Syntactic models with applications in inlage analysis